

*Partner Project Business
Power Breakers Line of Business*

Conformity Declaration
Déclaration de conformité

Customer Name: SEZEM Saint-Petersburg Russia
Project reference: "Made in Russia"
Reference: PP_CCB_214_01
Product: EasyPact CVS

We undersigned, Schneider Electric, guarantee that today 2018-08-23, the MTTF figures for the Compact NSX and Masterpact devices are as stated below:

	2013		
	Lower limit at 90%	MTTF (years)	Failure rate (hours)
EasyPact CVS C1	1472	1505	7.58E-08
EasyPact CVS C2	589	609	1.88E-07



*Roselyne RUFFEL-LASSAGNE
Schneider Electric Industries SAS (France)
Partner Project Business
Partner Project Customer Satisfaction & Quality VP*

Annex

The **failure rate** $\lambda(t)$ is the probability that the device fails between the t^{th} and the $(t+1)^{\text{th}}$ demand, given the condition that it is still operating after the t^{th} .

A failure rate is usually measured using units such as hour^{-1} , month^{-1} , demand^{-1} etc...

The order of magnitude of an electrical device failure rate is 10^{-8} to 10^{-6} /h, for an electronic device 10^{-8} /h, for an electronic board 10^{-6} /h.

A failure rate is generally not a constant function of time. Its variations may be represented by a curve which shape is characteristic and looks like the following (bathtub curve).

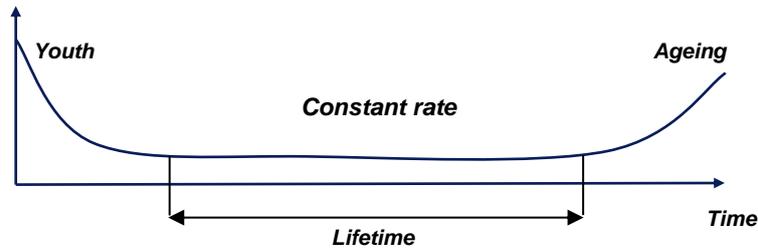


Fig 1

The horizontal part of the curve is related to the "lifetime", which is the period of time during which the failure rate may be considered constant.

Failure rate (λ) and MTTF can be easily understood only when the failure rate is constant with time. With this assumption, the reliability at time t , i.e. the probability that the device will not fail between time 0 (at which the device is supposed operating) and time t , is given by the formula:

$$R(t) = \exp(-\lambda t)$$

The MTTF is then equal to $1/\lambda$, and we have:

$$R(t) = \exp(-t/\text{MTTF})$$

As an example, for 1000 devices operating since $t=0$ and a constant failure rate $\lambda = 10^{-6}$ /hour.

The following table shows the relationship between the elapsed time in years and the average number of devices still operating (out of order devices are supposed not being replaced).

Time (years)	1	2	5	10	20
$R(t)$	0,99	0,98	0,96	0,92	0,84
Proportion of failures	0,01	0,02	0,04	0,08	0,16
Average number of failures	9	17	43	84	161

As well, the annual number of failures in a set of n identical installed devices has an average of:

$$N = n / \text{MTTF} \text{ (if unit is year)} = n \times 8760 / \text{MTTF} \text{ (if unit is hour)}.$$

For $\text{MTTF} = 100$ years, a set of 1000 operating devices. On average, $1000/100 = 10$ failures per year. An average of 10 failures may eventually lead to 3 or 4, or 20, but probably not 100 failures.